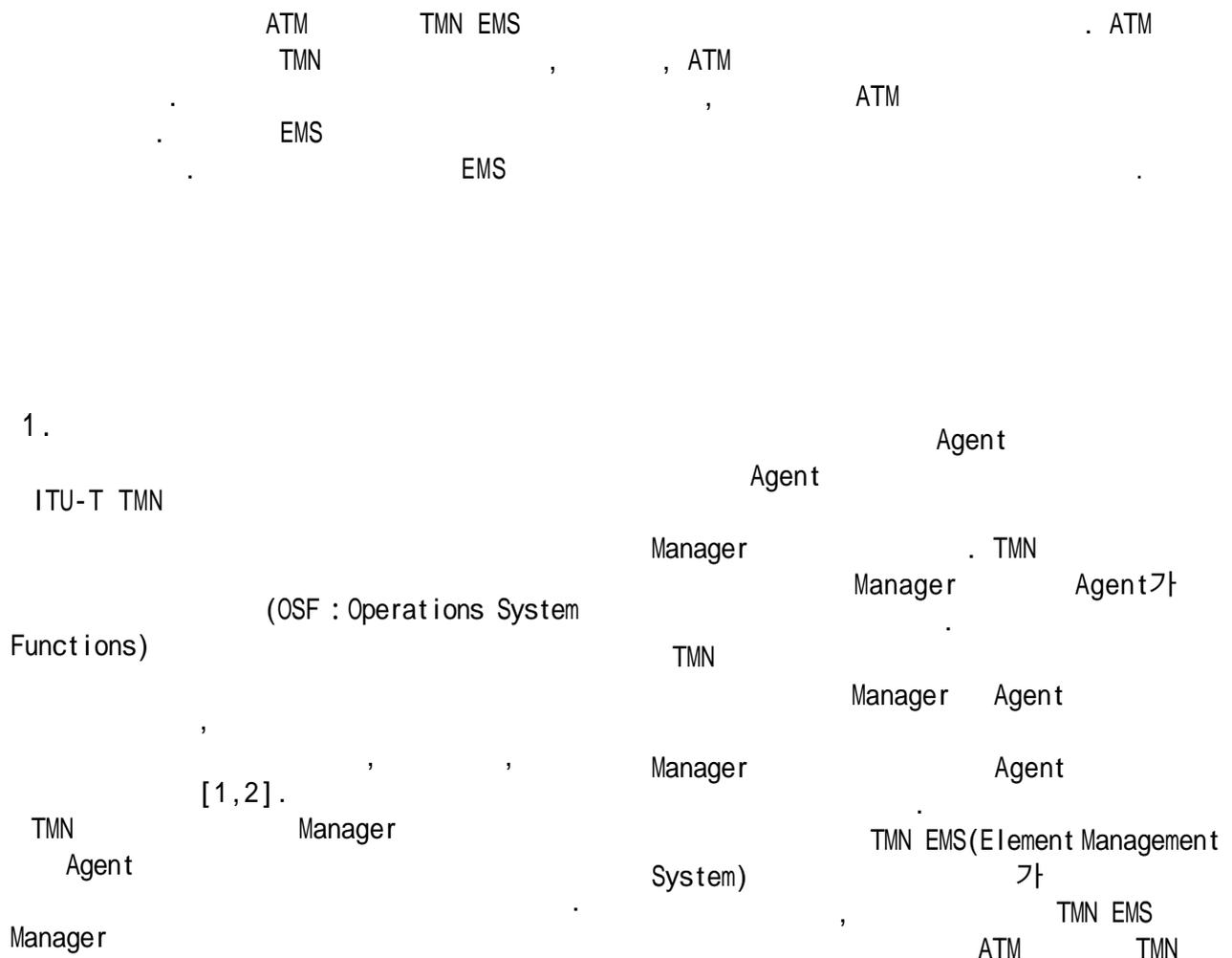


# ATM TMN EMS 가 A Performance Evaluation Model for the TMN EMS of ATM Switching Systems

ghlee@etri.re.kr, bdkang@biho.taegu.ac.kr)



2 TMN , 3  
 ATM TMN  
 4 가 ATM  
 5

(NML) :  
 end-to-end  
 NML  
 (EML)

## 2. TMN

(EML) :  
 (EM)

TMN

NML

### 2.1 TMN

TMN

(EL) :

(Network Element)

, EL

EML

OS-NE

TMN OS(Operating Systems)  
 NE(Network Elements) 2 5  
 가

NML-EML-EL

( 1)

( 2)

(BML :

Business Management Layer),

(SML : Service Management Layer),

(NML : Network Management Layer),

(EML : Element Management

Layer)

(EL : Element Layer)

( 1)

OS-NE

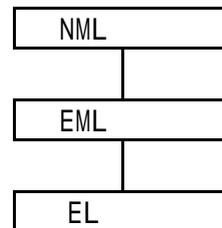
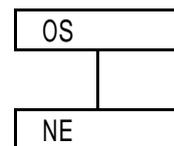
(BML) :

가

(SML) :

(Contractual Aspects)

( 2) TMN



< 1> TMN

	(FM)	(CM)	(AM)	(PM)	(SM)
(BML)					
(SML)					
(NML)					
(EML)					
(EL)					

2.2 TMN (MS : Management Service) 2.3.1 - 가

TMN , , , TMN 2.3.2 EML

M.3200 197가 ITU-T TMN .

[3]. ,

< 1> , 가

TMN (MFA : Management Functional Area) TMN

ITU-T M.3400 (Fault Management), (Configuration Management), (Accounting Management), (Performance Management) (Security Management) .

( : EML-PM) (Management Service Component) , NML

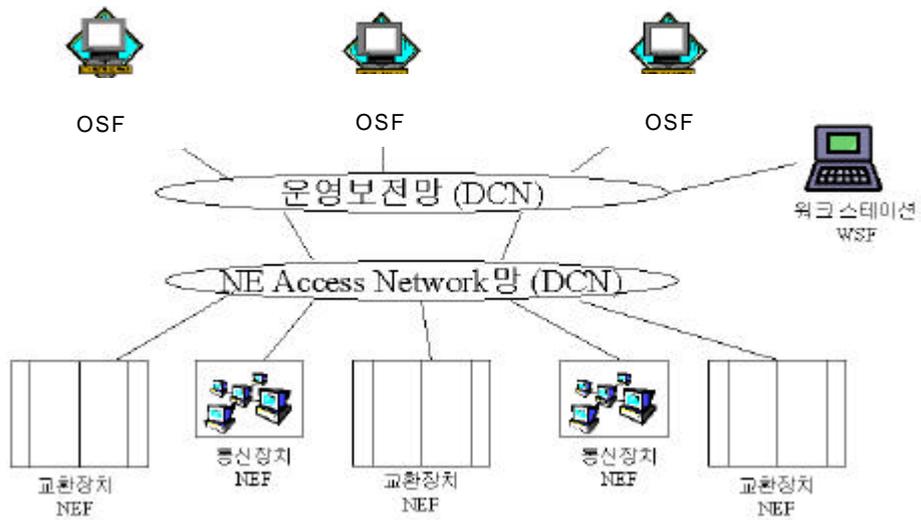
(MF : Management Function) [4]. • EL NML

2.3 EML (EML) (MSC) 3. ATM TMN

(MF) EML (NE : Network Element) ATM

[5,6]. TMN ATM

TMN ( 3)



( 3) TMN ATM

TMN  
( : CMIS/CMIP)

Element)

NE(Network

• OSF(Operations System Function) :  
DB

• DCN(Data Communication Network) : TMN  
OSI 1-3  
DCN X25, CCS No.7,  
ISDN, PSTN, LAN  
가

, MF(Mediation Function), QAF(Q-Adaptor  
Function), WSF(Work Station Function)

ITU-T TMN  
5

• NEF(Network Element Function) :  
OSF, MF, QAF

- (Performance Management)
- (Fault Management)
- (Configuration Management)
- (Account Management)
- (Security Management)

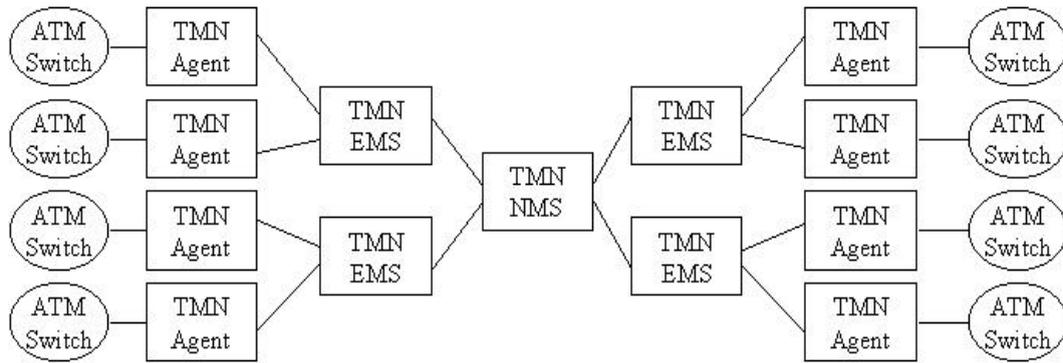
• WSF(Workstation Function) : TMN

• QAF(Q Adaptor Function) : TMN  
(NE-like Entities) Q3 Qx

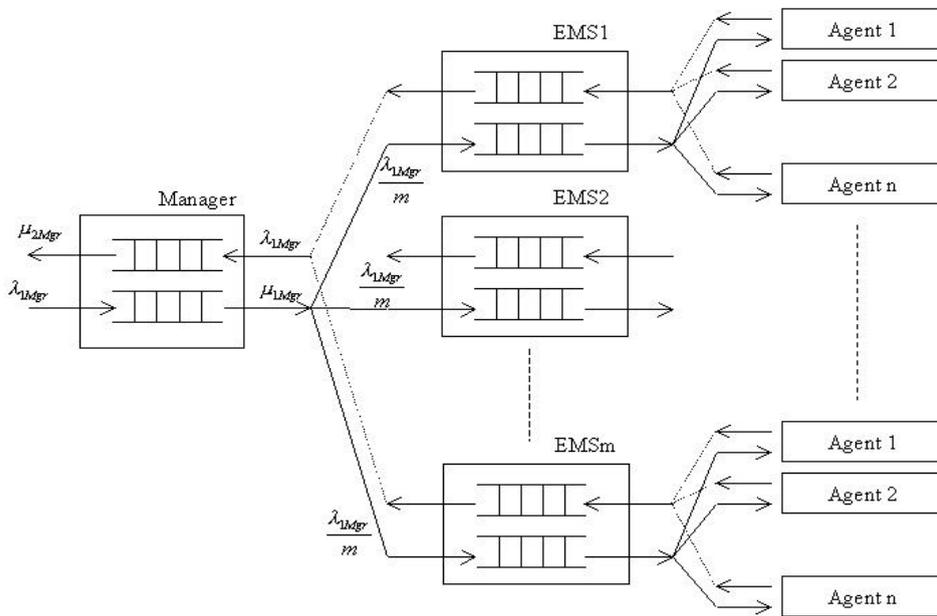
(NE : Network Element Telecommunication  
Equipment) (Life Cycle),  
ATM Agent

• MF(Mediation Function) : OSF NEF(  
QAF)  
(Q3 Qx, DB

가



( 4 ) ETRI ATM TMN



( 5 ) TMN EMS 가

4. TMN EMS 가 NMS가 TMN EMS , , , , 5 , , ,

TMN EMS ATM Queuing Agent 가 Manager

4.1 TMN EMS ATM

TMN ( 4 )

ETRI

4.2 TMN EMS 가

Manager가 ATM

TMN EMS가

Manager

가

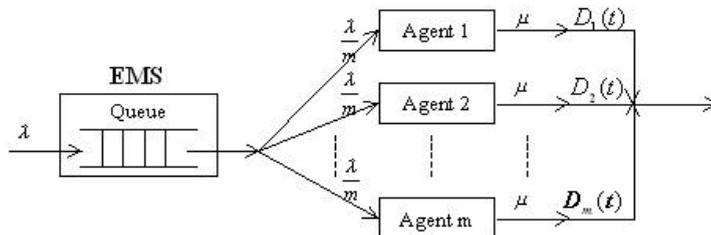
Manager가

TMN EMS

가

TMN EMS

TMN



( 6 ) 1 EMS m Agent

Agent , TMN NMS 가 .  
 EMS

가 .  
 Agent Manager t ≥ 0 , D<sub>i</sub>(t) Agent i

Manager 4가 .  
 Manager ,  

$$D(t + \delta) - D(t) = \sum_{i=1}^m [D_i(t + \delta) - D_i(t)]$$

Agent ,  
 , [t, t + d]  
 , ATM

( 5 ) Queuing  
 , TMN NMS Manager  
 EMS, Agent Queuing network  
 . TMN EMS  
 Queue Agent  
 Queue 가  
 EMS가 Agent

$$\begin{aligned}
 P[D(t, t + \delta) = 0] &= P[\text{모든 Agent에서 서비스가 끝나지 않음}] \\
 &= P[D_1(t, t + \delta) = 0] \cdot P[D_2(t, t + \delta) = 0] \cdots \\
 &\quad P[D_m(t, t + \delta) = 0] \\
 &= e^{-\mu \delta} \cdot e^{-\mu \delta} \cdots e^{-\mu \delta} \\
 &= e^{-m\mu \delta} \text{ 이다.}
 \end{aligned}$$

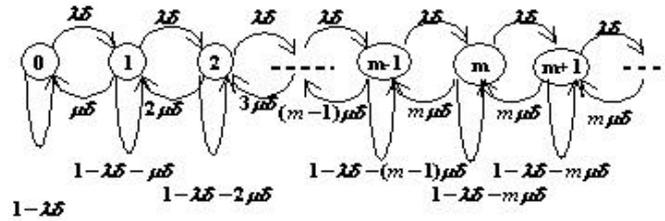
EMS 가 , Agent , [t, t + d] 1

4.2.1 1 EMS가 m Agent

( 6 ) 가 Poisson 1 EMS

m Agent  $\frac{1}{m}$   
 Agent m

$$\begin{aligned}
 P[D(t, t + \delta) = 1] &= P[(1개의 Agent에서만 서비스 끝냄) \\
 &\quad \cdot ((m-1) Agent는 서비스가 끝나지 않음)] \\
 &= \binom{m}{1} \cdot P[D_1(t, t + \delta) = 1] \cdot P[D_2(t, t + \delta) = 0] \cdots \\
 &\quad P[D_m(t, t + \delta) = 0] \\
 &= m \cdot \frac{m \delta \cdot e^{-\mu \delta}}{1!} \cdot (e^{-\mu \delta})^{m-1} \\
 &= m \mu \delta \cdot e^{-m\mu \delta} \text{ 이다.}
 \end{aligned}$$



( 7) M/M/m Markov

$$\begin{aligned}
 P[D(t, t+\delta) = 0] &= e^{-m\mu\delta} \\
 &= 1 + \frac{(-m\mu\delta)^1}{1!} + \frac{(-m\mu\delta)^2}{2!} \\
 &\quad + \dots \\
 &= 1 - m\mu\delta + o(\delta) \\
 P[D_1(t, t+\delta) = 1] &= m\mu\delta \cdot e^{-m\mu\delta} \\
 &= m\mu\delta + o(\delta) \\
 P[D_1(t, t+\delta) \geq 2] &= o(\delta) \text{ 이다.}
 \end{aligned}$$

$$I(i) = \begin{cases} i, & i \leq m \\ m, & i \geq m \end{cases} = \text{MIN}(i, m)$$

2)  $j=i-1$

$$\begin{aligned}
 P_{i,i-1} &= P[A=0] \cdot P[D=1] \\
 &= [1 - \lambda\delta + o(\delta)] \cdot [I(i)\mu\delta + o(\delta)] \\
 &= I(i)\mu\delta + o(\delta)
 \end{aligned}$$

M/M/m Queuing  
Discrete-time Markov

( 7) ○ EMS

3)  $j=i+1$

$$P_{i,i+1} = \lambda(\delta) + o(\delta)$$

$t$   $i$  가  
( $t+$  )  $j$

$$\begin{aligned}
 P_{ij} &= \lim_{\delta \rightarrow 0} P[N(t+\delta)=j | N(t)=i] \\
 &= P[A(t, t+\delta)=a, D(t, t+\delta)=i+a-j] \\
 &= P[A(t, t+\delta)=a] \\
 &\quad \cdot P[D(t, t+\delta)=i+a-j] \text{ 이다.} \dots(1)
 \end{aligned}$$

M/M/m Markov  
 $P_n$

$$P_1 = \frac{\lambda}{\mu} P_0 = m \left\{ \frac{\lambda}{m\mu} \right\} P_0 = m\rho P_0, \quad \rho = \frac{\lambda}{m\mu}$$

$$P_2 = \frac{\lambda}{2\mu} P_1 = \frac{\lambda}{2\mu} \cdot \frac{\lambda}{\mu} P_0 = \frac{m^2}{2!} \rho^2 P_0$$

$N(t)$   $t$   
,  $A(t, t+ )$   $[t, t+d]$   
 $[t, t+d]$  ,  $D(t, t+ )$

(1) 3가

n Agent m  
2가 가

1)  $j=i$

$$\begin{aligned}
 P_{ii} &= P[A=0] \cdot P[D=0] + P[A=1] \cdot P[D=1] \\
 &= [1 - \lambda\delta + o(\delta)] \cdot [1 - I(i)\mu\delta + o(\delta)] \\
 &\quad + [\lambda\delta + o(\delta)] \cdot [I(i)\mu\delta + o(\delta)] \\
 &= 1 - \lambda\delta - I(i)\mu\delta + o(\delta)
 \end{aligned}$$

1)  $n \leq m$

$$\begin{aligned}
 P_n &= \frac{\lambda}{n\mu} P_{n-1} = \frac{m!}{n!} \cdot \frac{\lambda}{m\mu} P_{n-1} \\
 &= \frac{m!}{n!} \cdot \frac{\lambda}{m\mu} \frac{m^{n-1}}{(n-1)!} \cdot \rho^{n-1} \cdot P_0 = \frac{m^n \rho^n}{n!} P_0
 \end{aligned}$$

2)  $n > m$

$$P_{n+1} = \frac{\lambda}{(m+1) \cdot \mu} P_n = \frac{\lambda}{m\mu} \cdot \frac{m^m \rho^m}{m!} \cdot P_0$$

$$= \frac{m^m}{m!} \rho^{m+1} \cdot P_0$$

$$\vdots$$

$$P_{n+k} = \frac{m^m}{m!} \rho^{m+k} \cdot P_0$$

$$P_k = \begin{cases} \frac{m^k \rho^k}{k!} P_0, & k \leq m \\ \frac{m^m}{m!} \rho^k P_0, & k > m \end{cases}$$

$$\sum P_k = 1$$

$$P_0 = \left[ \sum_{k=0}^{m-1} \frac{(m\rho)^k}{k!} + \frac{(m\rho)^m}{m!(1-\rho)} \right]^{-1}$$

EMS

Queue

$$P_Q = \sum_{k=0}^{\infty} P_k = \sum_{k=0}^{\infty} \frac{m^k \rho^k}{k!} P_0$$

$$= \frac{P_0 (m\rho)^m}{m!} \sum_{k=0}^{\infty} \rho^{k-m} = \frac{(m\rho)^m}{m!(1-\rho)} P_0$$

Queue

$$N_Q = \sum_{n=0}^{\infty} n \frac{m^m \rho^{m+n}}{m!} P_0 = \frac{P_0 (m\rho)^m}{m!} \sum_{k=0}^{\infty} k \rho^k$$

$$= P_Q \frac{\rho}{1-\rho}$$

Queue

$$W = \frac{N_Q}{\lambda} = \frac{\rho P_Q}{\lambda(1-\rho)}$$

$$T = \frac{1}{\mu} + W = \frac{1}{\mu} + \frac{\rho P_Q}{\lambda(1-\rho)} = \frac{1}{\mu} + \frac{P_Q}{m\mu - \lambda}$$

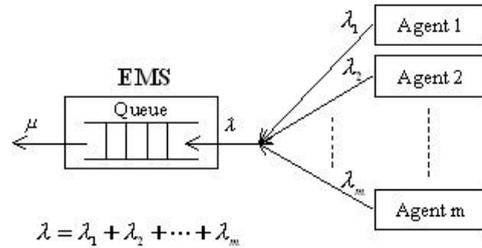
EMS

$$N = \lambda T = \frac{\lambda}{\mu} + \frac{P_Q}{m\mu - \lambda} = m\rho + \frac{\rho P_Q}{1-\rho}$$

4.2.2 m Agent 1 EMS

m Agent 1  
EMS

$\mu$  (8) M/M/1  
Queueing , M/M/1 Markov  
(9)



(8) m Agent 1 EMS

$$P_1 u = P_0 \mathbf{1}, P_1 \mathbf{1} = P_2 u, \dots, P_i \mathbf{1} = P_{i+1} u, \dots$$

$$P_1 = \frac{\mathbf{1}}{u} P, P_2 = \frac{\mathbf{1}}{u} P_1, \dots, P_{i+1} = \frac{\mathbf{1}}{u} P_i,$$

$$P_0 + P_1 + P_2 + \dots + P_i + \dots = 1$$

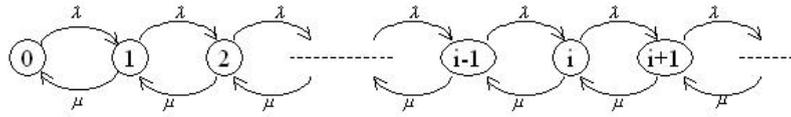
$$P_0 + \left(\frac{\lambda}{\mu}\right) P_0 + \left(\frac{\lambda}{\mu}\right)^2 P_0 + \dots + \left(\frac{\lambda}{\mu}\right)^i P_0 + \dots = 1$$

$$P_0 \left[ 1 + \frac{\lambda}{\mu} + \left(\frac{\lambda}{\mu}\right)^2 + \dots + \left(\frac{\lambda}{\mu}\right)^i + \dots \right] = 1$$

$$P_0 \left[ \frac{1}{1 - \frac{\lambda}{\mu}} \right] = 1$$

$$P_0 = 1 - \frac{\lambda}{\mu} = \frac{\mu - \lambda}{\mu} = 1 - \rho, \quad \rho = \frac{\lambda}{\mu}$$

$$P_i = \frac{\mu - \lambda}{\mu} \left(\frac{\lambda}{\mu}\right)^i$$



( 9 ) M/M/1 Markov

m Agent EMS

1) 1 EMS가 m Agent

EMS

m Agent

4가

1 EMS

λ, m, μ, n

$$N = \sum i P_i = \sum n \left( \frac{\mu - \lambda}{\mu} \right) \left( \frac{\lambda}{\mu} \right)^n$$

$$= \frac{\mu - \lambda}{\mu} \cdot \frac{\lambda}{\left( 1 - \frac{\lambda}{\mu} \right)^2} = \frac{\lambda}{\mu - \lambda}$$

$$T = \frac{N}{\lambda} = \frac{1}{\lambda} \cdot \frac{\lambda}{\mu - \lambda} = \frac{1}{\mu - \lambda}$$

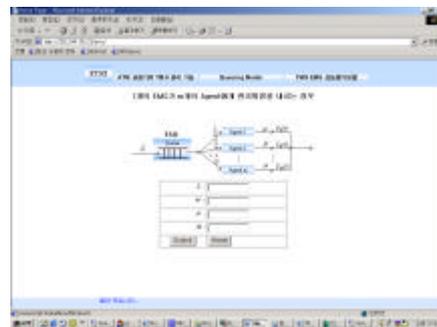
Queue

$$W = T - (\text{서비스 시간}) = \frac{1}{\mu - \lambda} - \frac{1}{\mu} = \frac{\rho}{\mu - \lambda}$$

Queue

$$N_Q = \lambda W = \lambda \cdot \frac{\rho}{\mu - \lambda}$$

EMS Agent



EMS

Queue

Queue

Queue

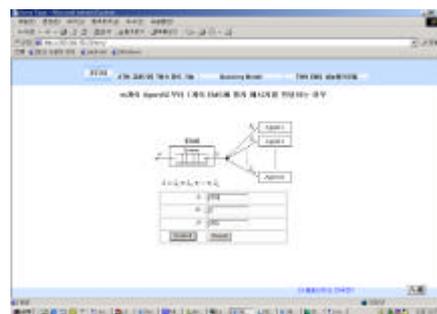
EMS

5가

2) m Agent 1 EMS

#### 4.2.3 TMN EMS

TMN EMS



m Agent EMS

I

$I = 200cps$ ,  $u = 250cps$



EMS가 Manager가

TMN EMS

TMN NMS가  
TMN EMS

5

Agent

ATM  
가 Manager

Manager

가

TMN EMS

Agent

가

TMN NMS

EMS가

Agent Manager

Manager  
4가

Manager

Agent

ATM

TMN EMS

Queue Agent

Queue 가

EMS가 Agent

, Agent

EMS

가

EMS

Agent

5 .

TMN

Agent

Manager

Manager

Agent

Agent

Manager

Manager

Agent가

TMN

Manager

Agent

Manager

Agent

ATM

ETRI

TMN

ATM

TMN

[1]ITU-T Draft New Recommendation M.3000 Overview of TMN Recommendation. 1994. 2.  
 [2]ITU-T Recommendation M.3010 Principles for a Telecommunications Management Network, 1992. 10.  
 [3]ITU-T Recommendation M.3200 TMN Management Services : Overview, 1992. 10.  
 [4]ITU-T Recommendation M.3300 TMN Management Capabilities Presented at the Interface,

1992. 10.

[5]ITU-T Recommendation M.3400 TMN Management Functions, 1992. 10.

[6]TA-TSV-001294 Generic Requirements for Element Layer(EML) Functionality and Architecture, Bellcore, Issue 1, 1992. 12.



1986 KAIST

1996 KAIST

1986 ~

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< > Distributed Processing, Load Balancing, Network Management, DBMS



1986

( )

1988

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1995

) 1988 6 ~ 1998 2 (

1998. 3 ~

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